### Answers to examination-style questions

| Answers |     |   | Marks       | Examiner's tips  |
|---------|-----|---|-------------|--|
| 1       | (a) | antiproton; antiparticle; <b>-1 (or -e)</b><br>neutrino; <b>particle</b> ; <b>0</b><br>neutron; <b>particle</b> ; <b>0</b><br>positron; <b>antiparticle</b> ; <b>+1(or +e)</b>  | 3           | There are six spaces to fill; the answers<br>are shown here in bold type.<br>All 6 correct: 3 marks<br>4 or 5 correct: 2 marks<br>2 or 3 correct: 1 mark                                     |
|         | (b) | (i) they carry opposite charges<br>(+e and -e)  | 1           | The magnetic field therefore forces them in opposite directions.   |
|         |     | <ul><li>(ii) they lose kinetic energy gradually as<br/>they travel along their paths</li></ul>  | 1           | 'The slower it went, the more it would<br>bend' (passage). Slower charged particles<br>are deflected more easily by a magnetic<br>field.   |
|         |     | <ul> <li>(iii) <i>Relevant points include</i>:</li> <li>the speed is greater where the track is less curved</li> <li>the straighter track must therefore be before the particle met the plate</li> <li>the direction of the curve shows that the charge is positive</li> <li>the track must therefore be due to a positron</li> </ul> | 3           | ' he discovered a beta particle<br>that slowed down but bent in the opposite<br>direction to all the other beta trails'<br>(passage).  |
| 2       | (a) | 90 protons<br>139 neutrons and 90 electrons   | 1<br>1      | Proton number $Z = 90$<br>Number of neutrons = $229 - 90$<br>Number of electrons = $Z$   |
|         | (b) | X = 90<br>Y = any value between 212 and 252<br>Z = 90   | 1<br>1<br>1 | This is still thorium, and here X is used<br>to represent the proton number.<br>In a <b>different</b> isotope, the nucleon<br>number cannot be 229.<br>The number of electrons is unchanged. |
| 3       | (a) | 18 protons<br>19 neutrons   | 1<br>1      | Proton number $Z = 18$<br>Number of neutrons = $37 - 18$   |
|         | (b) | charge = +2 or +2 <i>e</i><br>$Q = 2 \times 1.6 \times 10^{-19} = 3.2 \times 10^{-19} \text{ C}$  | 1           | 2 electrons have been removed, so the ion's charge is positive.  |
|         | (c) | (i) neutron   | 1           | Q = 0 for a neutron, so $(Q/m)$ is also zero.  |
|         |     | (ii) electron   | 1           | The electron's small mass gives it the largest $(Q/m)$ .   |
|         | (d) | $(\%) = \frac{16 \times 9.11 \times 10^{-31}}{37 \times 1.67 \times 10^{-27}} \times 100$ $= 2.4 \times 10^{-2} \%$   | 2<br>1      | Marks are for correct nuclear mass, and<br>for correct substitution of values in rest<br>of the equation.<br>Remember to multiply by 100 to get a<br>percentage.                             |

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| 4       | (a) | number of protons = number of e<br>(e.g. 13)<br>number of neutrons = (28 – num<br>protons) (e.g. 15)   |                                  | Neutral atoms have an equal number of<br>protons and electrons.<br>There could have been 14 protons and 14<br>neutrons!   |
|         | (b) | <ul><li>(i) nuclei have same number of</li><li>(ii) but a different number of ne nucleons</li></ul>  | *                                | This answer follows directly from the definition of isotopes.   |
|         |     | (iii) $\frac{Q}{m} = \frac{92 \times 1.60 \times 10^{-19}}{236 \times 1.67 \times 10^{-27}}$<br>= 3.7 × 10 <sup>7</sup> C kg <sup>-1</sup>   | 1                                | The mark is for correct substitution of charge and mass values and a correct calculation.   |
|         |     | (iv) 95  | 1                                | The number of protons and neutrons (given by the mass numbers for the nuclei) on each side is the same.   |
| 5       | (a) | X = 225  | 1                                | Nucleon numbers must balance in the decay, and $\alpha$ is a helium nucleus with $A = 4$ .  |
|         |     | Y = 88   | 1                                | Proton numbers must also balance, and $Z = 2$ for the $\alpha$ particle.  |
|         | (b) | ratio $\left(=\frac{225}{4}\right) = 56$   | 1                                | The answer is a ratio of two masses and has <b>no unit</b> .  |
| 6       | (a) | <ul> <li>(i) a helium nucleus (or a double helium atom)</li> <li><i>Properties</i>:</li> <li>charge +2e</li> <li>mass ≈ 4 units</li> </ul>   | ly-ionised <b>1</b><br>2         | (i) tests your factual knowledge. An $\alpha$ particle consists of 2 protons and 2 neutrons, giving these charge and mass values.   |
|         |     | (ii) ${}^{215}_{85}\text{At} \rightarrow {}^{211}_{83}\text{Bi} + \alpha$  | 2                                | 1 mark for writing $^{211}_{83}$ Bi as the product nucleus and the second mark for the completed reaction equation.   |
|         | (b) | <ul> <li>(i) <i>Relevant points include</i>:</li> <li>a neutron changes into a p</li> <li>the proton remains in the n</li> <li>a high energy electron (β<sup>-</sup> emitted from the nucleus</li> <li>an antineutrino is also emit</li> <li>the nucleus becomes more</li> </ul> | nucleus<br>particle) is<br>itted | Electrons do not reside in the nucleus;<br>the $\beta^-$ particle is formed at the instant of<br>decay. The antineutrino is necessary to<br>explain the range of energies of the<br>$\beta^-$ particles that are emitted. |
|         |     | (ii) ${}^{99}_{42}\text{Mo} \rightarrow {}^{99}_{43}\text{Tc} + \beta^- + \overline{\nu}$  | 2                                | 1 mark for inserting the missing values of 99 and 43, and 1 mark for including the antineutrino.<br>In $\beta^-$ decay <i>A</i> stays the same but <i>Z</i> increases by 1 (since a neutron changes into a proton).       |

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|-------|--|-------------|---|
| 7 (a) | (i) $9.11 \times 10^{-31} \text{ kg}$  | 1           | The $\beta^+$ particle is a positron, with the same rest mass as an electron.   |
|       | (ii) $f\left(=\frac{c}{\lambda}\right) = \frac{3.00 \times 10^8}{8.30 \times 10^{-13}}$<br>(= 3.61 × 10 <sup>20</sup> Hz)<br>$E(=hf) = 6.63 \times 10^{-34} \times 3.61 \times 10^{20}$<br>= 2.4 × 10 <sup>-13</sup> J | 1<br>1<br>1 | All 3 marks would be available for direct use of $E = (hc/\lambda)$ , but you must show your working whatever method you choose.  |
|       | (iii) $E = \frac{2.39 \times 10^{-13}}{1.60 \times 10^{-13}}$<br>= 1.5 MeV   | 1<br>1<br>1 | Since 1 eV = $1.60 \times 10^{-19}$ J, it follows that 1 MeV is $10^6$ times larger.  |
| (b)   | weak interaction   | 1           | Always involved in $\beta$ decay  |
| (c)   |  | 1<br>1<br>1 | $p \rightarrow n + \beta^+ + \nu_e$<br>Proton must lose + charge<br><b>Not</b> antineutrino   |
| 8 (a) | (i) electron   | 1           | A positron is a 'positive electron', havin<br>the same mass and equal but opposite<br>charge.   |
|       | <ul><li>(ii) they annihilate, or destroy each other</li><li>forming two gamma rays (or photons)</li></ul>  | 1<br>1      | <ul><li>2 photons are always needed when<br/>annihilation takes place.</li><li>'Forming energy' would not be enough<br/>for the second mark.</li></ul>  |
| (b)   | energy released = $2 \times 0.51 = 1.02$ MeV<br>= $1.02 \times 1.60 \times 10^{-13} = 1.6 \times 10^{-13}$ J   | 1<br>1      | The antiparticle must have the same rest<br>mass as the particle.<br>The energy released is the total of the re-<br>energies. The energy released could be<br>greater than this if the particles were to<br>meet with a significant amount of kinetic<br>energy, so the value calculated is the<br>minimum energy released. |
| 9 (a) | <ul><li>(i) they annihilate, or destroy each other, or form two photons</li><li>(ii) the energy associated with the rest</li></ul>   | 1<br>1      | This is straightforward annihilation of a particle and its antiparticle.<br><b>Total</b> energy includes both the kinetic   |
|       | masses must be added   | -           | energy and the rest mass energy of the<br>two colliding particles. Photons have no<br>rest mass.  |
| (b)   | <ul> <li>There are 3 possibilities: the particles produced could</li> <li>be more numerous</li> <li>be more massive</li> <li>have greater kinetic energy</li> </ul>  | any 2       | Annihilation can produce particles other<br>than photons (e.g. muons) when the<br>colliding particles have a total energy<br>greater than the rest masses of the<br>particles that are produced.  |

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|--|------------|--|
| 10 (a) weak interaction  | 1          |  |
| <ul> <li>(b) arrow from e<sup>-</sup> arrow, pointing top left and labelled v<sub>e</sub> arrow from p arrow, pointing top right and labelled n</li> </ul>       | 1<br>1     | You must show p becoming n, and $e^{-}$ becoming $v_{e}$ .   |
| <b>11 (a)</b> γ photon/electromagnetic force   | 2          | 1 mark for naming the exchange particle<br>and the second mark for the<br>corresponding interaction. |
| <ul> <li>(b) Possible roles are:</li> <li>transfers energy</li> <li>transfers momentum</li> <li>transfers force</li> <li>(sometimes) transfers charge</li> </ul> | any 2      | One mark for each named role.  |
| 12 A high energy $\gamma$ photon is required   | 1          | Energy must be sufficient to create at least the total rest masses of the particles produced.        |
| It is converted into a particle and its antiparticle   | e <b>1</b> | This occurs in the vicinity of another particle, such as a nucleus or an electron.                   |
| Suitable example named, such as:<br>• proton + antiproton<br>• electron + positron   | 1          | Only one example is needed.  |

• electron + positron

Nelson Thornes is responsible for the solution(s) given and they may not constitute the only possible solution(s).